

Journal Watch  
IEEE Transactions on Signal Processing  
January 2018

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## Binary Matrices for Compressed Sensing

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# Binary Matrices for Compressed Sensing

- **Goal:** Construction of optimum binary measurement matrix  $\mathbf{A} \in \mathfrak{R}^{m \times N}$

- Beneficial to storage and computation

- **Assumption:**

- Exactly  $d$  nonzero elements per column (column degree)
- High compression ratio:  $n/m$

- **Contributions:**

1. New performance parameter:

- Min.  $\mu_\alpha$  avg. of nonzero values of  $\frac{\langle \mathbf{A}_i, \mathbf{A}_j \rangle}{\|\mathbf{A}_i\| \|\mathbf{A}_j\|}$ , for  $i \neq j$
  - Weaker condition on sparsity:  $k < \left(\frac{1}{2}\mu^{-1} + 1\right) < \left(\frac{1}{2}\mu_\alpha^{-1} + 1\right)$
  - Optimum value of  $d = \lceil \sqrt{m} \rceil$
- $\uparrow$  mutual coherence                       $\uparrow$  new metric

2. Construction algorithm:

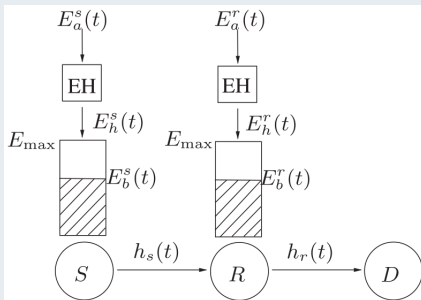
- Greedy method using concepts of bipartite graph and tree
- Better than random binary matrices

# Online Joint Power Control for Two-Hop Wireless Relay Networks With Energy Harvesting

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# Power Control for Two-Hop Relay Networks



- Half-duplex AF relaying
- Slow block fading channel
- System state: channel gains, energy arrived and battery levels
- **Goal:** Power control to maximize the long-term time-averaged rate

- **Formulation:** Joint stochastic optimization problem under battery operational and storage capacity constraints
- **Solution:** Closed-form solution using Lyapunov optimization depending on current state
- **Analysis:** Performance gap compared to the optimal policy is bounded.

## Greedy Sampling of Graph Signals

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# Greedy Sampling of Graph Signals

- **Preliminaries:**

- Graph: Adjacency matrix  $\mathbf{A} \in \mathbb{R}^{n \times n}$
- Graph signal:  $\mathbf{x} \in \mathbb{R}^n$
- Graph FT:  $\bar{\mathbf{x}} = \mathbf{V}^H \mathbf{x}$  where  $\mathbf{A} = \mathbf{V}^H \mathbf{D} \mathbf{V}$

- **Model:**  $\mathbf{y}_S = (\mathbf{x} + \mathbf{w})_S \in \mathbb{R}^S$  with  $s < n$

- **Assumption:**  $\mathbf{x}$  is spectrally sparse

- **Goal:** Choice of  $S$  to estimate  $\mathbf{z} = \mathbf{H} \mathbf{x} \in \mathbb{R}^m$  from  $\mathbf{y}_S$

- **Contributions:**

- MSE bounds of optimal Bayesian linear interpolator for a given  $S$
- Greedy sampling set selection scheme: add one element to sampling set at a time using the bound
- Derives near-optimality results for the scheme

## Malicious User Detection Based on Low-Rank Matrix Completion in Wideband Spectrum Sensing

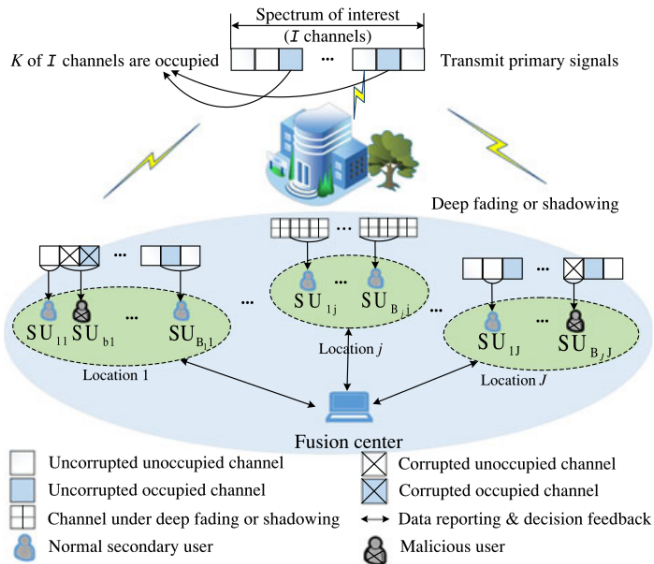
Zhijin Qin, Lancaster University, Lancaster

Yue Gao, Queen Mary University of London

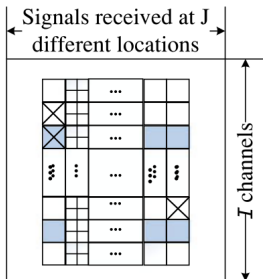
Mark D. Plumbley, University of Surrey, Guildford



# Malicious User Detection



# Malicious User Detection



**Goal:** Reconstruct the unsensed channels by a low-rank MC

$$\hat{\mathbf{P}}, \hat{\mathbf{\Omega}} = \arg \min_{\mathbf{P}, \mathbf{\Omega}} \sum_{ij} \Omega_{ij} (\mathbf{P}_{ij} - \overset{\text{input}}{p_{ij}})^2$$

$$\sum_{ij} 1 - \Omega_{ij} \leq L \leftarrow \text{unknown}$$

## Solution

- Estimate  $L$  from  $\{p_{ij}\}$  using shrink and enlargement algorithm
- Alternating minimization to solve the optimization problem:
  - $\mathbf{P}$ : Riemannian trust-region for MC
  - $\mathbf{\Omega}$ : Indices of top  $L$  values of  $\mathbf{P}_{ij} - p_{ij}$

# Other Papers

- **A GAMP-Based Low Complexity Sparse Bayesian Learning Algorithm**
  - Maher Al-Shoukairi, Philip Schniter and Bhaskar D. Rao
- **A Covariance-Based Superpositional CPHD Filter for Multisource DOA Tracking**
  - Alireza Masnadi-Shirazi and Bhaskar D. Rao
- **A Proportional Time Allocation Algorithm to Transmit Binary Sensor Decisions for Target Tracking in a Wireless Sensor Network**
  - Engin Masazade and Abdulkadir Kose
- **Robust Cooperative Spectrum Sensing for MIMO Cognitive Radio Networks Under CSI Uncertainty**
  - Adarsh Patel, Hukma Ram, Aditya K. Jagannatham and Pramod K. Varshney