

Journal Watch
IEEE Transactions on Signal Processing
15 October 2018

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Iteratively Linearized Reweighted Alternating Direction Method of Multipliers for a Class of Nonconvex Problem

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Iteratively Linearized Reweighted ADMM

- **Problem:** $\min_{x \in \mathbb{R}^m, y \in \mathbb{R}^n, y} f(x) + \sum_{i=1}^n g(h(y_i))$ s.t. $Ax + By = c$
- **ADMM approach:** Iteratively update one variable at a time using augmented Lagrangian problem:

$$\mathcal{L} = f(x) + \sum_{i=1}^N g(h(y_i)) + \langle p, Ax + By - C \rangle + \alpha \|Ax + By - c\|^2$$

- **Proposed approach:**
 - Iteratively reweighted: first order approximation of $g(h(\cdot))$.
 - Linearized ADMM: linearize quadratic term
- **Analysis:** Convergence using Łojaseiwicz property
- **Application:** Recovery of blurred and noisy images

Learning to Optimize: Training Deep Neural Networks for Interference Management

Haoran Sun , Xiangyi Chen, Qingjiang Shi, Mingyi Hong , Xiao Fu
and Nicholas D. Sidiropoulos
Aalborg University, Denmark

DNN for Interference Management

- **Problem:** Weighted system throughput maximization

$$\max_p \sum_{k=1}^K \alpha_k \log \left(1 + \frac{|h_{kk}|^2 p_k}{\sum_{j \neq k} |h_{jk}|^2 p_j + \sigma_k^2} \right) \text{ s.t. } 0 \leq p_k \leq P_{\max}$$

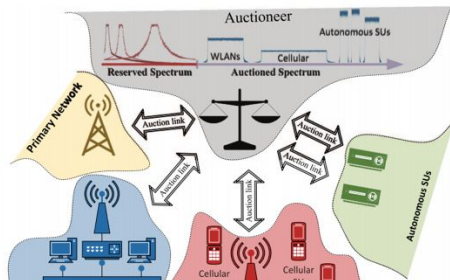
Analysis: Weighted minimum mean squared error

- Construct simple neural networks that consist of ReLUs ($\max\{0, x\}$) and binary units (0-1 decision)
- Compose these small neural networks to approximate a rational function representing one iteration of the algorithm
- Concatenate these rational functions to approximate the entire algorithm
- Bounding the error propagated from the first iteration to the last one

Radio Resource Allocation and Pricing: Auction-Based Design and Applications

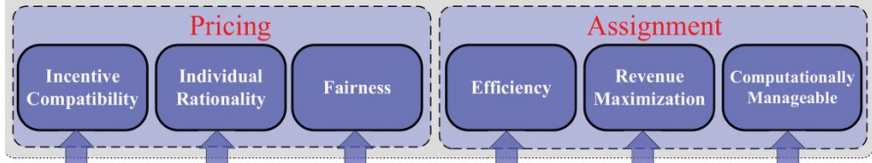
Navid Tadayon and Sonia Aissa
University of Quebec, Canada

Resource Allocation



- Nash Equilibrium is revelation of the true valuations
- Use **revelation principle** to design the optimal mechanism among all auction classes
- Scalable solution

Axioms of Optimal Spectrum Auction



Simultaneously Sparse and Low-Rank Matrix Reconstruction via Nonconvex and Nonseparable Regularization

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Sparse and Low-Rank Matrix Reconstruction

- **Problem:**

$$\min_{\mathbf{X}} \alpha \|\mathbf{X}\|_0 + (1 - \alpha) \|\mathbf{X}\|_{\text{rank}} \text{ s.t. } \mathcal{A}[\mathbf{X}] = \mathbf{y}$$

- $\mathbf{X} \in \mathbb{R}^{n \times m}$ is sparse and low rank
- $\alpha \in [0, 1]$
- **Bayesian Approach:** Prior on vectorized \mathbf{X} : $\mathbf{x} \sim \mathcal{N}(0, \Phi)$

$$\Phi^{-1} = \Gamma^{-1} + (I_m \otimes \Psi)^{-1}$$

- Γ : diagonal
- Ψ : positive semidefinite
- **Implementation:** EM algorithm to estimate \mathbf{x}
- **Analysis:** Convergence under restricted setting
- **Application:** Compressive hyperspectral image reconstruction

Other Papers

- **An Iterative Receiver for OFDM With Sparsity-Based Parametric Channel Estimation**
 - T. L. Hansen, P. B. Jorgensen, M. A. Badiu and B. H. Fleury
- **Large-Scale Spectrum Allocation for Cellular Networks via Sparse Optimization**
 - B. Zhuang, D. Guo, E. Wei and M. L. Honig
- **A Sequential Framework for Composite Hypothesis Testing**
 - S. Bar and J. Tabrikian
- **Cell Detection by Functional Inverse Diffusion and Non-negative Group Sparsity (2 parts)**
 - P. delAguilaPla and J. Jalden