

# Journal Watch: IEEE Transactions on Transaction Information Theory, December 2016

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▶ Wireless Max-Min Utility Fairness with General Monotonic Constraints by Perron-Frobenius Theory

Authors: Liang Zheng, Y. W. Peter Hong, Chee Wai Tan, Cheng-Lin Hsieh, and Chia-Han Lee

# Problem Statement

$$\begin{aligned} & \text{maximize}_{\mathbf{p}} \min_{i=1, \dots, L} u_i(\mathbf{p}) \\ & \text{subject to } \mathbf{g}(\mathbf{p}) \leq \bar{\mathbf{g}} \end{aligned}$$

*Theorem 1 [21]:* Let  $\mathbf{T} : \mathcal{R}_+^L \rightarrow \mathcal{R}_+^L$  be a linear mapping defined by  $\mathbf{T}(\mathbf{x}) = \mathbf{A}\mathbf{x}$ , for any  $\mathbf{x} \in \mathcal{R}_+^L$ , where  $\mathbf{A}$  is an  $L \times L$  irreducible nonnegative matrix. Then,

- (a) the conditional eigenvalue problem  $\mathbf{T}(\mathbf{x}) = \lambda\mathbf{x}$  has a unique solution with  $\mathbf{x}^* > \mathbf{0}$ ,  $\|\mathbf{x}^*\| = 1$  and  $\lambda^* > 0$ ;
- (b) the solution is  $\mathbf{x}^* = \lim_{n \rightarrow \infty} \tilde{\mathbf{T}}^n(\mathbf{x})$ , where  $\tilde{\mathbf{T}}(\mathbf{x}) = \mathbf{T}(\mathbf{x})/\|\mathbf{T}(\mathbf{x})\|$ , for all  $\mathbf{x} \geq \mathbf{0}$ .

# Perron-Frobenius Theorem for general mappings

*Theorem 2 [20]:* Suppose that  $\beta : \mathcal{R}_+^L \rightarrow \mathcal{R}_+$  is not identically 0, positively homogeneous (i.e.,  $\beta(\lambda \mathbf{x}) = \lambda \beta(\mathbf{x})$  for  $\mathbf{x} \geq \mathbf{0}$  and  $\lambda \geq 0$ ), and monotonic (i.e.,  $\mathbf{0} \leq \mathbf{x} \leq \mathbf{y}$  implies  $\beta(\mathbf{x}) \leq \beta(\mathbf{y})$ ), and that  $\mathbf{T} : \mathcal{R}_+^L \rightarrow \mathcal{R}_+^L$  satisfies the following conditions: (i) there exists  $a > 0$ ,  $b > 0$ , and a vector  $\mathbf{e} > \mathbf{0}$  such that  $a\mathbf{e} \leq \mathbf{T}(\mathbf{x}) \leq b\mathbf{e}$ , for all  $\mathbf{x} \in \mathcal{R}_+^L$  with  $\beta(\mathbf{x}) = 1$ ; (ii) for any  $\mathbf{x}, \mathbf{y} \in \mathcal{R}_+^L$  with  $\beta(\mathbf{x}) = \beta(\mathbf{y}) = 1$  and  $0 \leq \lambda \leq 1$ : If  $\lambda \mathbf{x} \leq \mathbf{y}$ , then  $\lambda \mathbf{T}(\mathbf{x}) \leq \mathbf{T}(\mathbf{y})$ ; and, if  $\lambda \mathbf{x} \leq \mathbf{y}$  with  $\lambda < 1$ , then  $\lambda \mathbf{T}(\mathbf{x}) < \mathbf{T}(\mathbf{y})$ . Then, the following properties hold:

- (a)  $\lambda \mathbf{x} = \mathbf{T}(\mathbf{x})$  has a unique solution  $\mathbf{x}^* \in \mathcal{R}_+^L$  with  $\beta(\mathbf{x}^*) = 1$  and  $\lambda^* > 0$ .
- (b)  $\mathbf{x}^* = \lim_{n \rightarrow \infty} \tilde{\mathbf{T}}^n(\mathbf{x})$ , where  $\tilde{\mathbf{T}}(\mathbf{x}) = \mathbf{T}(\mathbf{x})/\beta(\mathbf{T}(\mathbf{x}))$ , for any  $\mathbf{x} \geq \mathbf{0}$  with  $\beta(\mathbf{T}(\mathbf{x})) > 0$ .

- ▶ Non-adaptive group testing with Random Set of Defectives

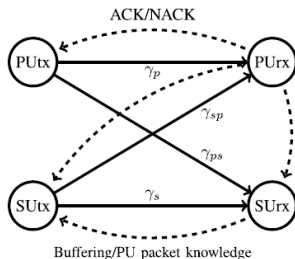
Authors: Arya Mazumdar

- ▶ Model 1: each item can be defective with probability  $\frac{t}{N}$
- ▶ Model 2: each  $t$ -set of items can be defective with uniform probability
- ▶ **Goal:** Explicit deterministic construction of test scheme which achieve as close to minimum  $\Theta(t \log N)$  as possible.
- ▶ Designing a *non-adaptive* test scheme is equivalent to construction of a disjunct matrix
- ▶ Constant-weight error-correcting codes used to construct Non-adaptive scheme.
- ▶ Achieve  $\Theta\left(t \frac{\log^2 N}{\log t}\right)$  for successful recovery with high probability
- ▶ Main contribution: parameters of group testing schemes are connected to hamming distance of the codes

- ▶ Optimal Cognitive Access and Packet Selection Under a Primary ARQ Process via Chain Decoding

Authors: Nicolo Michelusi, Peter Popovski, and Michele Zorzi

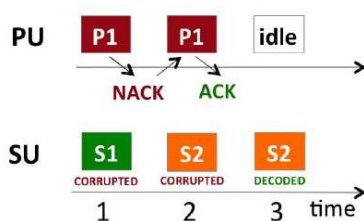
# System Model and Goal



- ▶ PU uses ARQ
- ▶ SU uses selective retransmission
- ▶ Chain decoding helps SU improve its own throughput under a constraint on long-term PU performance



# Chain decoding and Results



## ► Issues:

1. Secondary access scheme and packet selection for retransmission
2. Optimality of decoupled decision making.
3. CD protocol
4. How design an SU access scheme: dynamic programming.

- ▶ Diversity Backpressure Scheduling and Routing With Mutual Information Accumulation in Wireless Ad-Hoc Networks

Authors: Hao Feng and Andreas F. Molish

# System Model, Goal & Contributions

- ▶ Consider routing problem in a multi-commodity multi-flow network with mutual information accumulation
- ▶ Average channel state information is available locally
- ▶ Scenarios considered: renewal mutual information accumulation and full mutual information accumulation.
- ▶ Analyze the performance of diversity backpressure algorithm with mutual information accumulation.
- ▶ Network capacity region with MIA is greater than simple repetition
- ▶ DIVBAR-RMIA achieves the network capacity region and DIVBAR-FMIA performs at least as well as DIVBAR-RMIA.

## Other Papers

- ▶ “SHO-FA: Robust Compressive Sensing With Order-Optimal Complexity, Measurements, and Bits”, *M. Bakshi, S. Jaggi, S. Cai, and M. Chen*
- ▶ ‘Fixed Points of Generalized Approximate Message Passing With Arbitrary Matrices”, *S. Rangan, P. Schniter, E. Riegler, A. K. Fletcher*
- ▶ “Minimum Energy to Send  $k$  Bits Over Multiple-Antenna Fading Channels” *W. Yang, G. Durisi, and Y. Polyanskiy*
- ▶ “Improving Compressed Sensing With the Diamond Norm”, *M. Kliesch, R. Kueng, J. Eisert, and David Gross*