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## Communications

#### MIMO ARQ With Multibit Feedback: Outage Analysis

Authors: Khoa D. Nguyen, Lars K. Rasmussen, A. Guillen i Fabregas, and Nick Letzepis Affiliations: University of South Australia, Australia, KTH Royal Institute of

Technology and Universitat Pompeu Fabra, Barcelona, Spain.

- Studies the asymptotic outage performance of INR-ARQ<sup>1</sup> transmission over MIMO block-fading channels with discrete input constellations
- System Model
  - Each ARQ round is transmitted over *B* AWGN blocks of *J* channel uses
  - In the INR-ARQ scheme, the receiver attempts to decode at round / based on received signals collected in rounds 1,2,...,/

<sup>&</sup>lt;sup>1</sup>Incremental Redundancy Automatic Repeat Request ( ) + ( )

#### Contributions

- A fixed-rate transmission over the MIMO block-fading channel is considered. It is shown that the outage diversity is given by the Singleton bound
- The rate-diversity tradeoff of the MIMO ARQ system with multibit feedback under long-term power constraints is derived
- It is shown that a finite number of feedback bits is sufficient to achieve the maximal outage diversity
- A practically feasible feedback-and-power-adaptive rule is proposed

## Communications

 On Degrees of Freedom Region of MIMO Networks Without Channel State Information at Transmitters

Authors: Chiachi Huang, Syed Ali Jafar, Shlomo Shamai, Sriram Vishwanath Affiliations: Yuan Ze University, Taiwan, University of California, Irvine, Technion-Israel Institute of Technology, Israel and University of Texas, Austin

- Objective: To explore the effect of the absence of channel state information for MIMO networks
- Assumptions:
  - Channel: Rayleigh fading that is i.i.d. across antennas, users and time slots

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- Perfect CSIR and no CSIT
- MIMO Networks:
  - 2-user MIMO broadcast channel
  - 2-user MIMO interference channel

- Contributions
  - DOF region of a 2-user MIMO BC with *M* transmit antennas, *N*<sub>1</sub> and *N*<sub>2</sub> receive antennas is characterized
  - Achievable scheme: time division scheme between the two users
  - Outer bound derived for 2-user MIMO BC is extended to 2-user MIMO IC
  - Loss is more severe when transmitters carry more antennas than receivers whereas loss is less severe when receiver carry more antennas than transmitters
  - For a special case of 2-user MIMO BC the capacity region is established

### **Communication networks**

Random Access: An Information-Theoretic Perspective

Authors: Paolo Minero, Massimo Franceschetti, and David N. C. Tse, Affiliations: University of Notre Dame, Notre Dame, USA, University of California, San Diego, USA and University of California, Berkeley, USA

- A random access system is analyzed from information theoretic perspective
- Initially, a two-sender random access system is considered
- Active users encode data into two streams
  - high priority
  - low priority
- two channel models: deterministic and AWGN channel

• Achievable scheme (AWGN channel): combines time-sharing and Gaussian superposition coding

- A k-sender random-access system is considered
- The communication problem is cast into an equivalent information theoretic network with multiple Tx and Rx
- Assumptions:
  - Users are active with same probability *p*, independently of each other

- Subject to same received power constraint
- Maximum achievable expected sum rate is characterized
- Depending on *p*, encoding rate is varied

### Sparse signal recovery

#### Rank Awareness in Joint Sparse Recovery

Authors: Mike E. Davies and Yonina C. Eldar Affiliations: Institute for Digital Communication, Edinburgh University,U.K. and Technion-Israel Institute of Technology, Israel

- To recover a set of jointly sparse multichannel vectors from incomplete measurements
- MMV sparse recovery problem: Given  $\mathbf{Y} \in \mathbb{R}^{m \times l}$  and  $\phi \in \mathbb{R}^{m \times n}$  with m < n find

$$\hat{\mathbf{X}} = \arg \min_{\mathbf{X}} |\operatorname{Supp}(\mathbf{X})| \text{ s.t. } \phi \mathbf{X} = \mathbf{Y}$$

- A necessary and sufficient condition for the measurements to uniquely determine the jointly sparse matrix is obtained
- Rank of X is exploited in order to improve MMV recovery results



- S. Rini, D. Tuninetti, and N. Devroye: Inner and Outer Bounds for the Gaussian Cognitive Interference Channel and New Capacity Results
- H.-F. Lu: Remarks on Diversity-Multiplexing Tradeoffs for Multiple-Access and Point-to-Point MIMO Channels
- A. Host-Madsen, M. Uppal, and Z. Xiong: On Outage Capacity in the Low Power Regime
- M. P. Friedlander, H. Mansour, R. Saab, and O. Yilmaz: Recovering Compressively Sampled Signals Using Partial Support Information