

# Reconfigurable Intelligent Surfaces: A Signal Processing Perspective

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# Outline

## Introduction

- Reconfigurable intelligent surface (RIS), vision of a reconfigurable world

## Developing a system model

- Basic signals and systems theory
- Application to model RIS systems
- Optimization of RIS for communication

## What are good use cases?

- Compared to alternative technologies

## Summary

# INTRODUCTION

# Physics of Wireless Signal Propagation

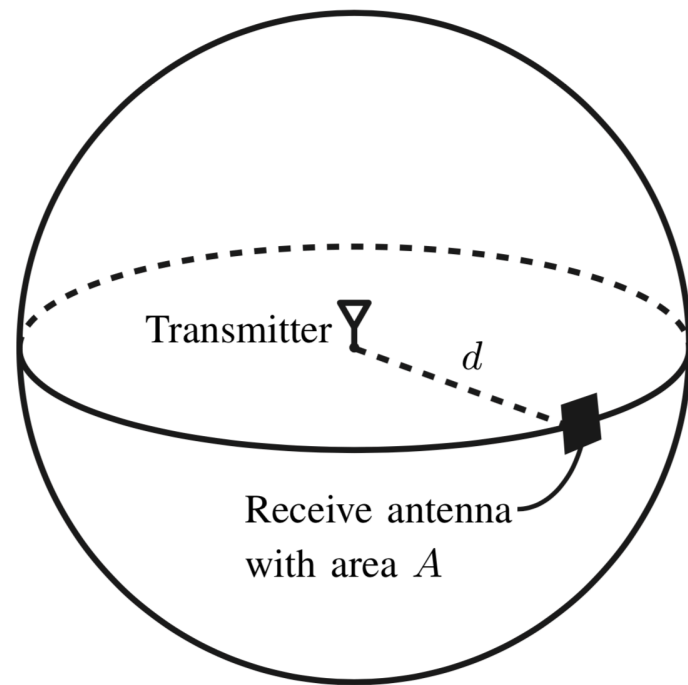
- Electromagnetic travel at speed of light
  - Spreads out in all directions
- Friis' propagation formula:

$$\text{Receive power} = \text{Transmit power} \cdot \frac{A}{4\pi d^2}$$

**Example:**  $A = \left(\frac{\lambda}{4}\right)^2$ ,  $\lambda = 0.1$  m (3 GHz)

0.005% received at 1 m      (−43 dB)

0.00005% received at 10 m      (−63 dB)

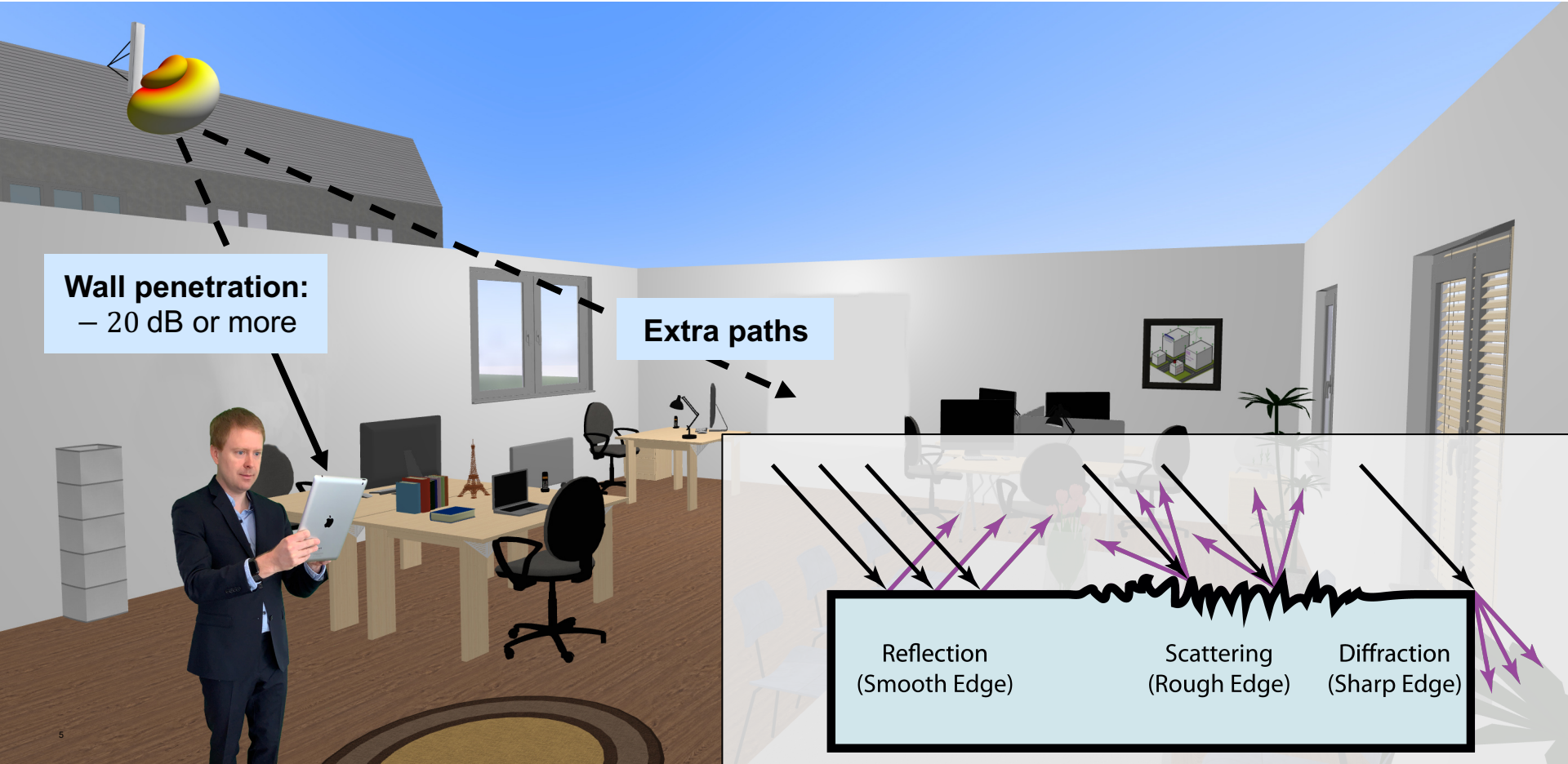


**Only a tiny fraction of transmit power is received!**

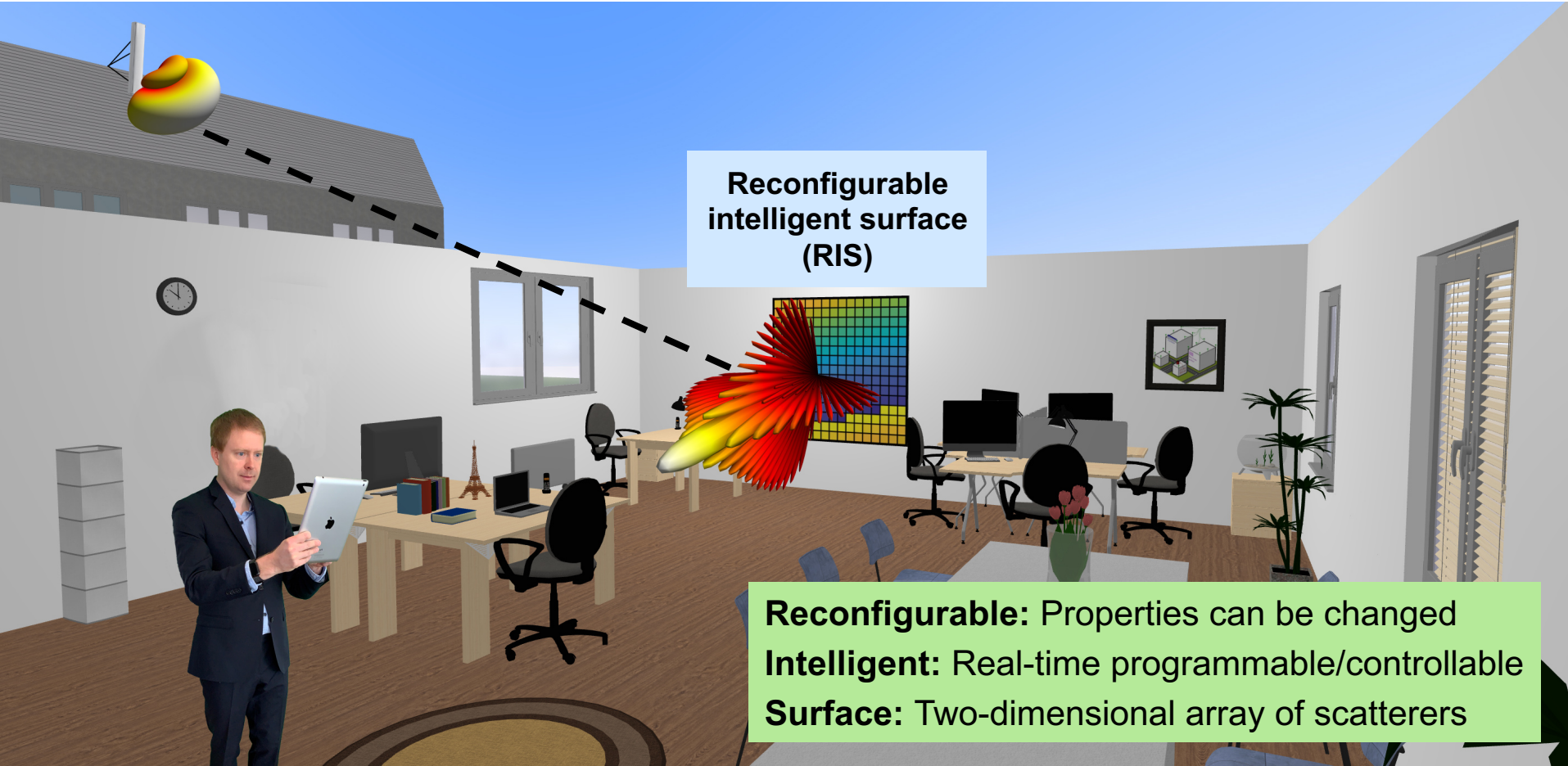
H. T. Friis, "A note on a simple transmission formula," IRE, vol. 34, no. 5, pp. 254–256, 1946



# No Direct Path: Even Larger Propagation Losses



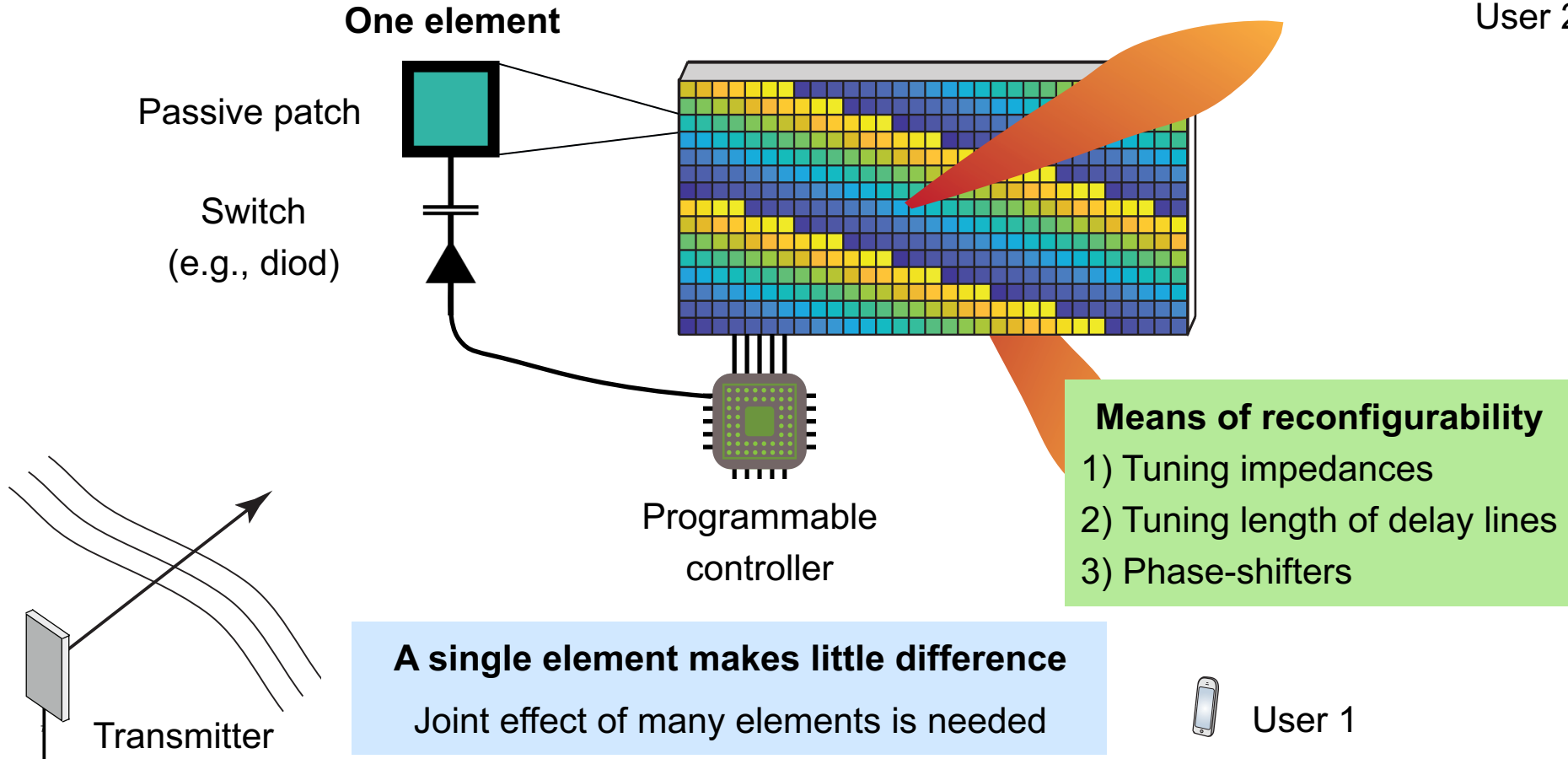
# Shaping the Signal Scattering Towards the Receiver



# Reconfigurable Intelligent Surface (RIS)

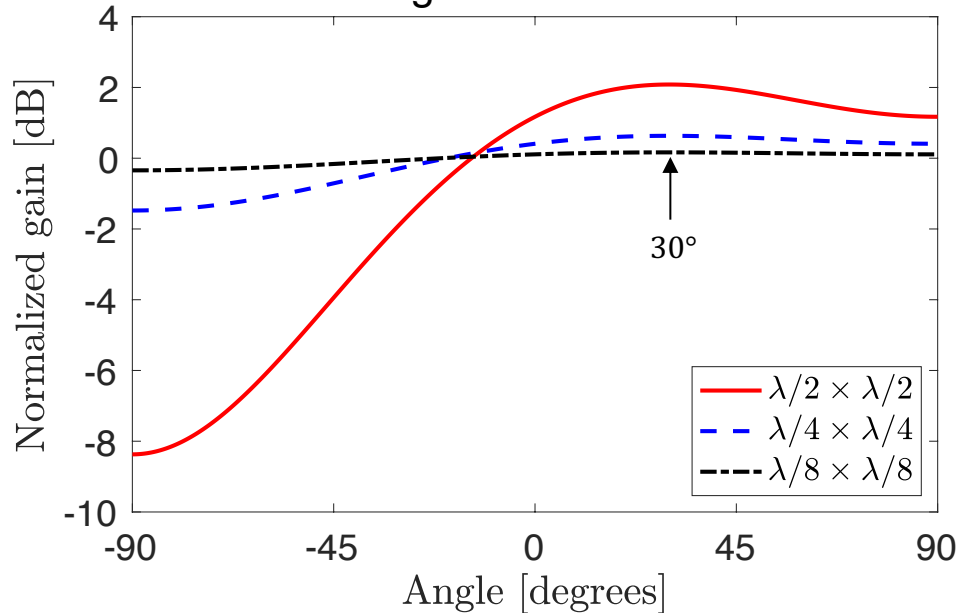


User 2

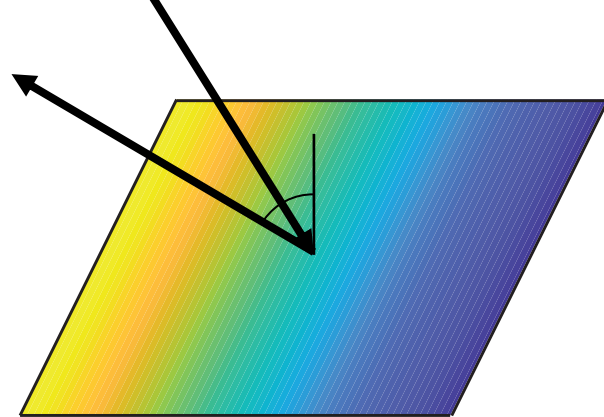


# How Large are the Elements?

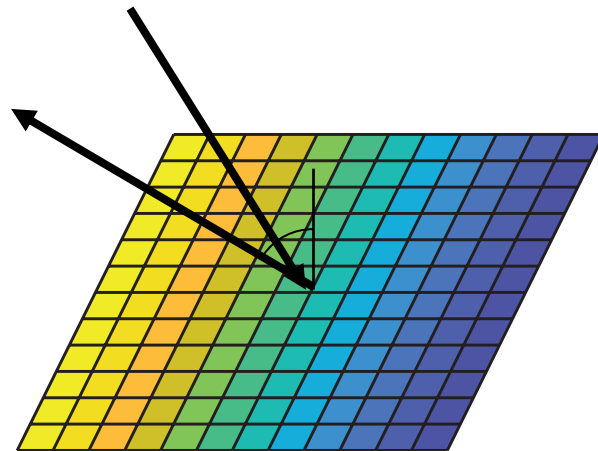
When a signal arrives from  $-30^\circ$ :



Each element should scatter signals almost isotropically



Ideal continuous reconfiguration



Discretized reconfiguration



# A Reconfigurable World

RIS as a **whole** can control

- Directivity of scattered signal
- Signal absorption
- Polarization

Improved indoor coverage



# Different People Use Different Terminology

L. Subrt and P. Pechac, “**Intelligent walls** as autonomous parts of smart indoor environments,” *IET Communications*, vol. 6, no. 8, pp. 1004–1010, 2012.

C. Liaskos, S. Nie, A. Tsioliaridou, A. Pitsillides, S. Ioannidis, and I. Akyildiz, “A new wireless communication paradigm through **software-controlled metasurfaces**,” *IEEE Commun. Mag.*, vol. 56, no. 9, pp. 162–169, 2018.

C. Huang, A. Zappone, G. C. Alexandropoulos, M. Debbah, C. Yuen, “**Reconfigurable Intelligent Surfaces** for Energy Efficiency in Wireless Communication,” *IEEE Transactions on Wireless Communications*, vol. 18, no. 8, pp. 4157–4170, 2019.

M. Di Renzo *et al.*, “Smart radio environments empowered by **reconfigurable AI meta-surfaces**: an idea whose time has come,” *EURASIP Journal on Wireless Commun. and Networking*, vol. 2019:129, 2019.

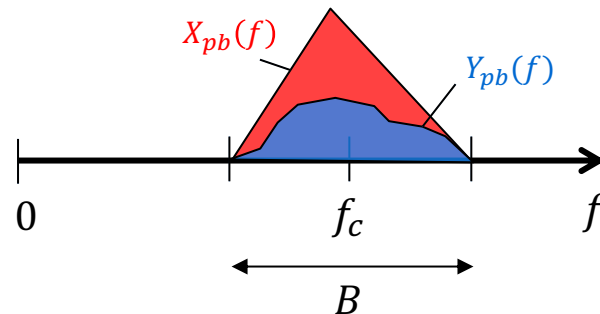
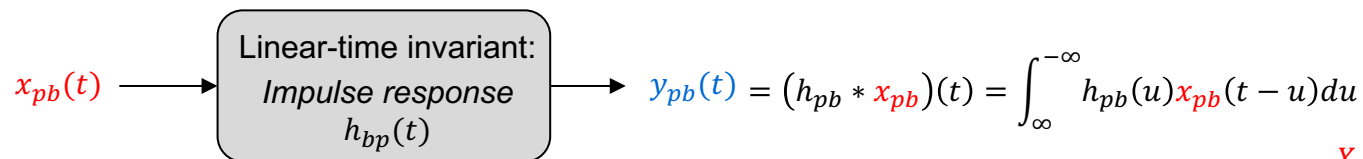
Q. Wu and R. Zhang, “Towards smart and reconfigurable environment: **Intelligent reflecting surface** aided wireless network,” *IEEE Communications Magazine*, 2020.

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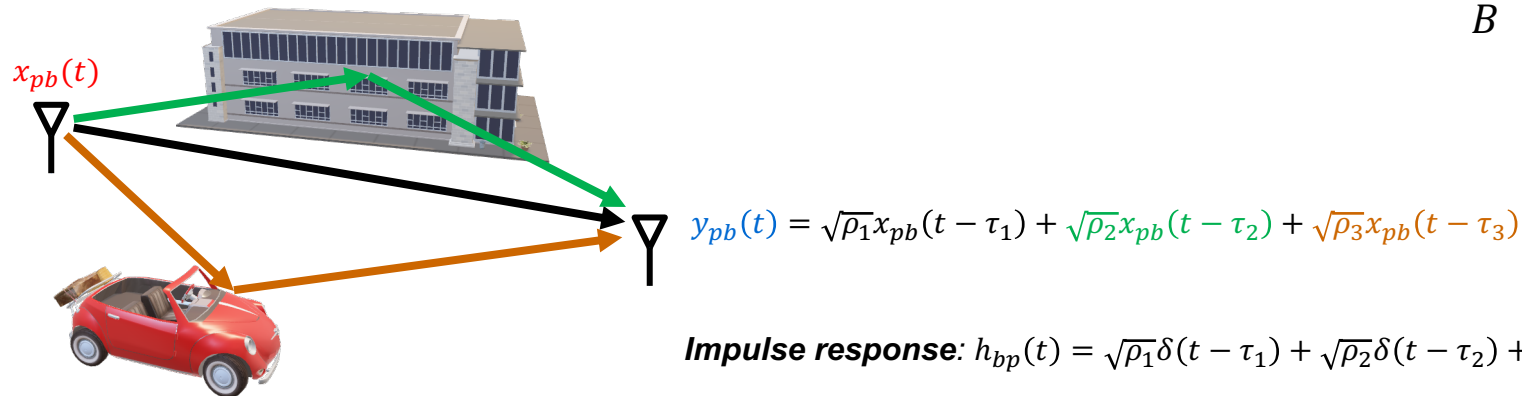
E. Björnson, L. Sanguinetti, H. Wymeersch, J. Hoydis, and T. L. Marzetta, “Massive MIMO is a reality—What is next? Five promising research directions for antenna arrays,” *Digital Signal Processing*, vol. 94, pp. 3–20, Nov. 2019.

# DEVELOPING A SYSTEM MODEL

# Introduction to Signals and Systems



- Communication channels are systems/filters:



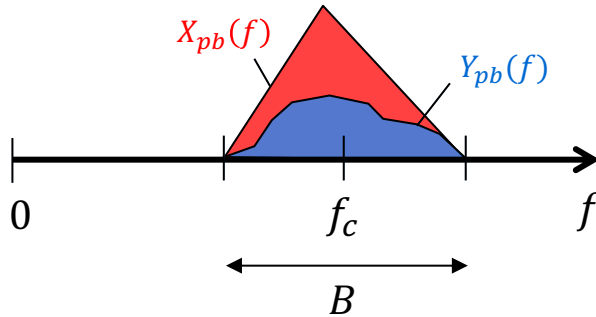
**Impulse response:**  $h_{bp}(t) = \sqrt{\rho_1} \delta(t - \tau_1) + \sqrt{\rho_2} \delta(t - \tau_2) + \sqrt{\rho_3} \delta(t - \tau_3)$



# Complex Baseband Representation

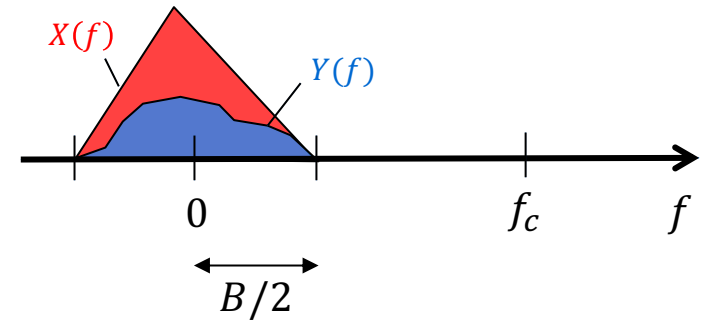
- Communication theory is developed for the baseband

Real passband

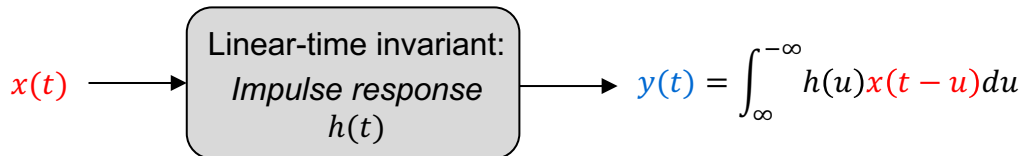


Downshifting

Complex baseband



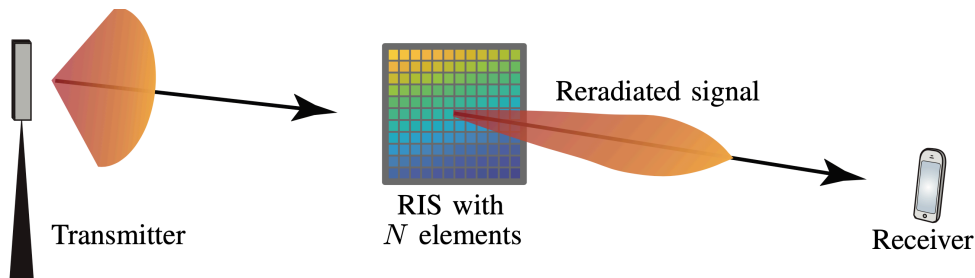
- Connection:  $X_{pb}(f) = \frac{X(f-f_c) + X^*(-f-f_c)}{\sqrt{2}}$ ,  $Y_{pb}(f) = \frac{Y(f-f_c) + Y^*(-f-f_c)}{\sqrt{2}}$



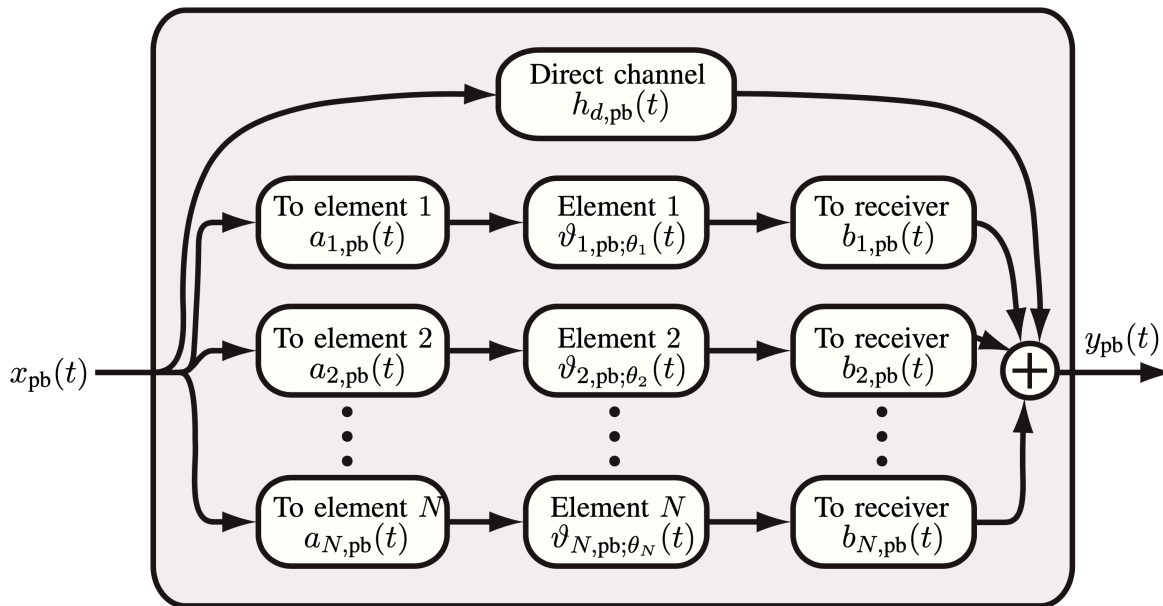
**Down-shifted channel:**

$$h(t) = h_{pb}(t)e^{-j2\pi f_c t}$$

# Analyzing Reconfigurable Intelligent Surface



End-to-end system with impulse response  $h_{pb}(t)$



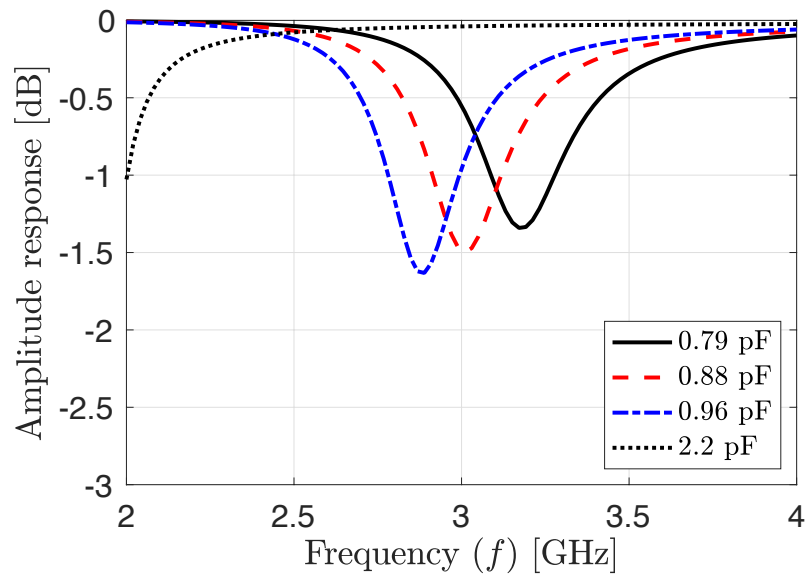
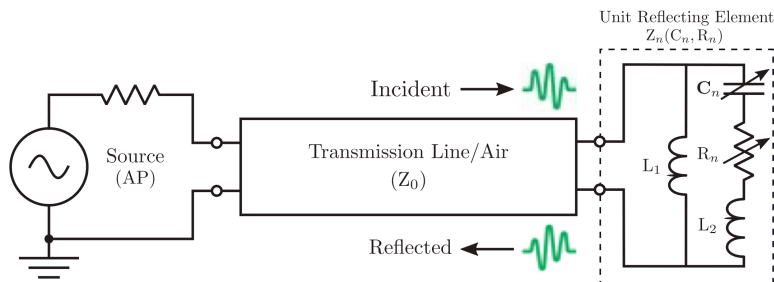
End-to-end impulse response:

$$h_{pb}(t) = h_{d,pb}(t) + \sum_{n=1}^N (b_{n,pb} * \vartheta_{n,pn;\theta_n} * a_{n,pb})(t)$$

Conventional channel models for  $a_{n,pb}, b_{n,pb}, h_{d,pb}$

RIS control variables  $\theta_1, \dots, \theta_N$  in  $\vartheta_{n,pn;\theta_n}$

# How Will an RIS Element Filter the Signal?

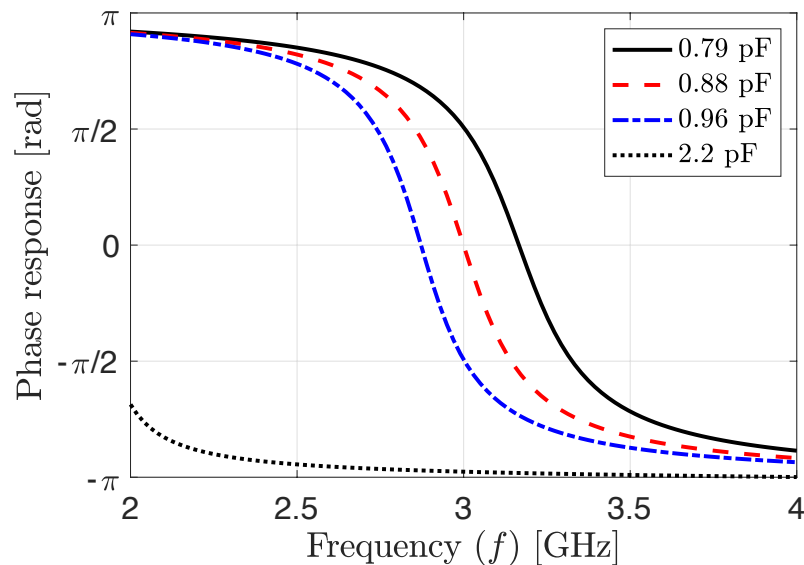


**Example:** Metal patch with tunable capacitance  $C_n$

Reflection coefficient:

$$\frac{Z_n(C_n, R_n) - Z_0}{Z_n(C_n, R_n) + Z_0}$$

Reference: S. Abeywickrama, R. Zhang, Q. Wu, and C. Yuen, "Intelligent reflecting surface: Practical phase shift model and beamforming optimization," IEEE Trans. Commun., 2020.



# How To Transmit Data?

- Pulse amplitude modulation:

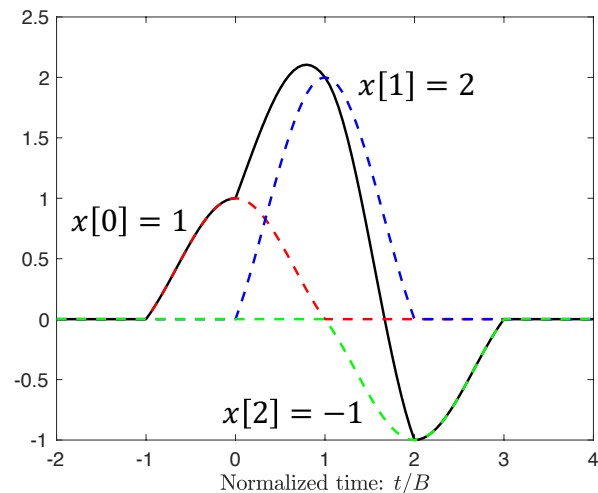
$$x(t) = \sum_m x[m]p\left(t - \frac{m}{B}\right)$$

- Transmit discrete sequence:  $x[m]$ ,  $m = \text{integer}$

Use a pulse-form  $p(t)$  satisfying the Nyquist criterion:

$$p\left(\frac{m}{B}\right) = 0 \text{ for integer } m \neq 0 \text{ and non-zero for } m = 0$$

- Example:**  $p(t) = \sqrt{B}\text{sinc}(Bt)$



Sampling of received signal  $y(t) = x(t)$ :

$$y\left(\frac{k}{B}\right) = x\left(\frac{k}{B}\right) = \sum_m x[m]p\left(\frac{k-m}{B}\right) = x[k]$$

# Reception with Channel and Noise

- Received signal (with Gaussian noise):

$$y(t) = (h * x)(t) + w(t)$$

- Filter using  $p(t) = \sqrt{B}\text{sinc}(Bt)$ :

$$z(t) = (p * y)(t) = \sum_m x[m] (p * h * p)\left(t - \frac{m}{B}\right) + (p * w)(t)$$

- Sample received signal:

$$\underbrace{z\left(\frac{k}{B}\right)}_{\text{Call it } z[k]} = \sum_m x[m] \underbrace{(p * h * p)\left(\frac{k-m}{B}\right)}_{\text{Effective pulse function}} + \underbrace{(p * w)\left(\frac{k}{B}\right)}_{\text{Complex Gaussian noise } CN(0, N_0)}$$

**Narrowband channel:**  $h \approx \text{constant} \cdot \delta(t - \tau)$  in the band, Nyquist criterion satisfied

$$z[k] = \text{constant} \cdot x[k] + \text{Gaussian noise}$$

# Putting the Pieces Together: Narrowband Channels

- Direct channel:  $h_{d,pb}(t) = \sqrt{\rho}\delta(t - \tau_d) \rightarrow h_d(t) = \sqrt{\rho}e^{-j2\pi f_c t}\delta(t - \tau_d)$
- Related to element  $n$ :  
 $a_{n,pb}(t) = \sqrt{\alpha_n}\delta(t - \tau_{n,a}) \rightarrow a_n(t) = \sqrt{\alpha_n}e^{-j2\pi f_c t}\delta(t - \tau_{n,a})$   
 $\vartheta_{n,pb}(t) = \sqrt{\gamma_n}\delta(t - \tau_{\theta_n}) \rightarrow \vartheta_n(t) = \sqrt{\gamma_n}e^{-j2\pi f_c t}\delta(t - \tau_{\theta_n})$   
 $b_{n,pb}(t) = \sqrt{\beta_n}\delta(t - \tau_{n,b}) \rightarrow b_n(t) = \sqrt{\beta_n}e^{-j2\pi f_c t}\delta(t - \tau_{n,b})$

## End-to-end discrete-time system model:

$$z[k] = \left( \underbrace{\sqrt{\rho}e^{-j2\pi f_c \tau_d}}_{\text{Direct path}} + \sum_{n=1}^N \underbrace{\sqrt{\alpha_n \beta_n \gamma_n}}_{\text{Joint amplitude loss}} e^{-j2\pi f_c (\underbrace{\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b}}_{\text{Joint delay}})} \right) x[k] + \text{Noise}$$

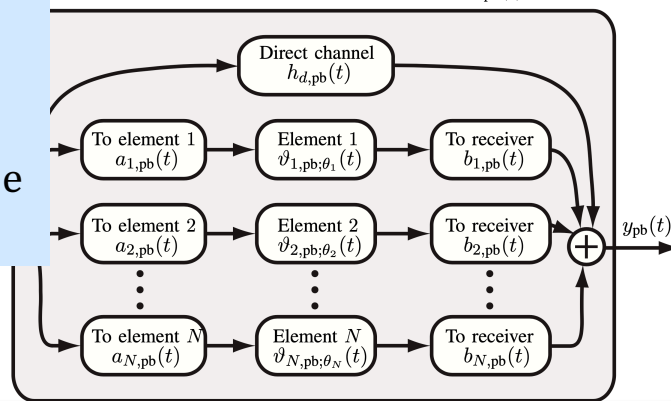
Direct path

Joint amplitude loss

Joint delay

**Tunable!**

End-to-end system with impulse response  $h_{pb}(t)$



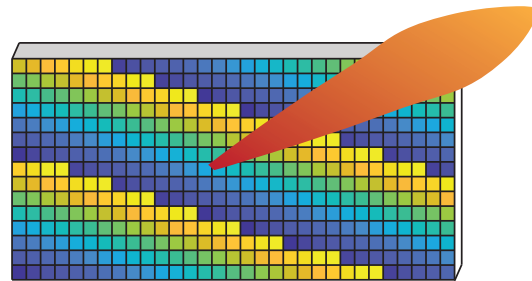
# **OPTIMIZING COMMUNICATION PERFORMANCE**

# Maximizing Performance Without a Direct Path



**Received signal** without direct path:

$$y = \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c(\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \cdot \text{signal} + \text{noise}$$



**Signal processing problem:**  
Maximize the signal-to-noise ratio

**Channel gain:**

$$\left| \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c(\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right|^2 \leq \left| \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} \right|^2 \approx N^2 \alpha \beta \gamma$$

Cauchy–Schwarz inequality

**Achieved when:**

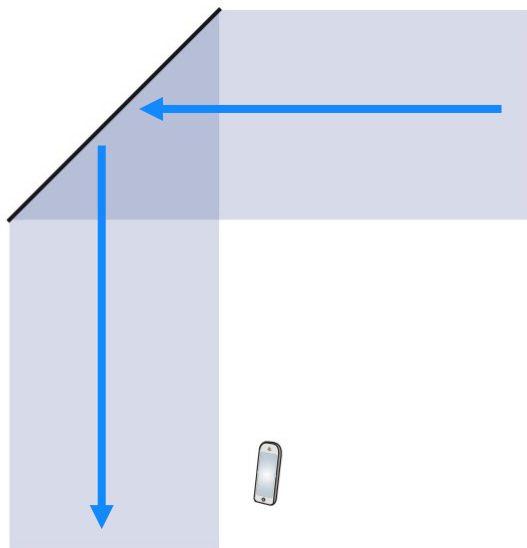
$$\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b} = \text{constant}$$

*Minimum positive delay solution:*

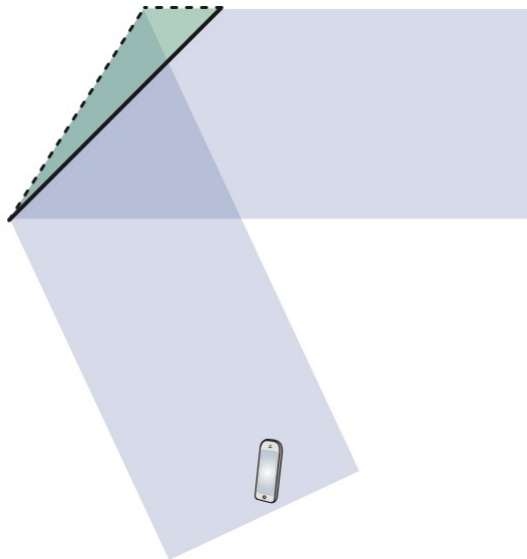
$$\tau_{\theta_n} = \max_m (\tau_{m,a} + \tau_{m,b}) - (\tau_{n,a} + \tau_{n,b})$$



# Example: Synthesizing Surface Shapes



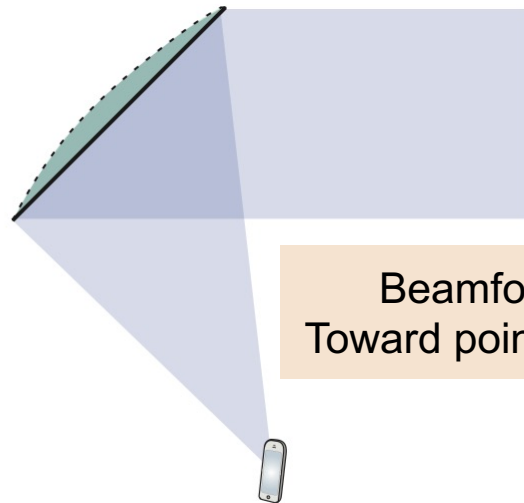
**1: Normal reflection**



**2: Anomalous reflection**  
(focus at infinity)

Varying phase delay profile  
along the surface

**3: Signal focusing**  
(closer than infinity)



Beamforming:  
Toward point/direction

# Maximizing Performance With a Direct Path

**Received signal** with direct path:

$$y = \left( \sqrt{\rho} e^{-j2\pi f_c \tau_d} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c (\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right) \cdot \text{signal} + \text{noise}$$

**Maximize channel gain:**

$$\left| \sqrt{\rho} e^{-j2\pi f_c (\tau_d)} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} e^{-j2\pi f_c (\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b})} \right|^2 \leq \left| \sqrt{\rho} + \sum_{n=1}^N \sqrt{\alpha_n \beta_n \gamma_n} \right|^2$$

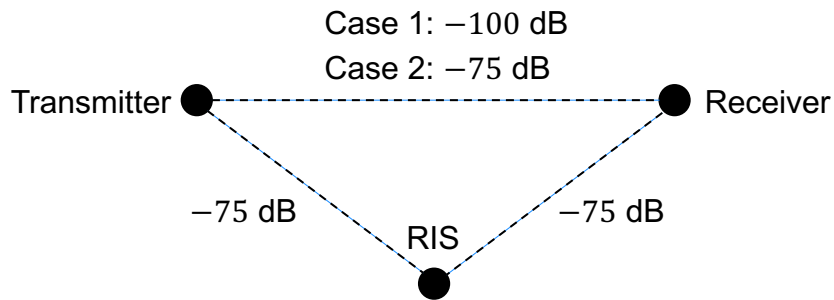
**Achieved when:**

$$\tau_{n,a} + \tau_{\theta_n} + \tau_{n,b} = \tau_d$$

*Minimum positive delay solution:*

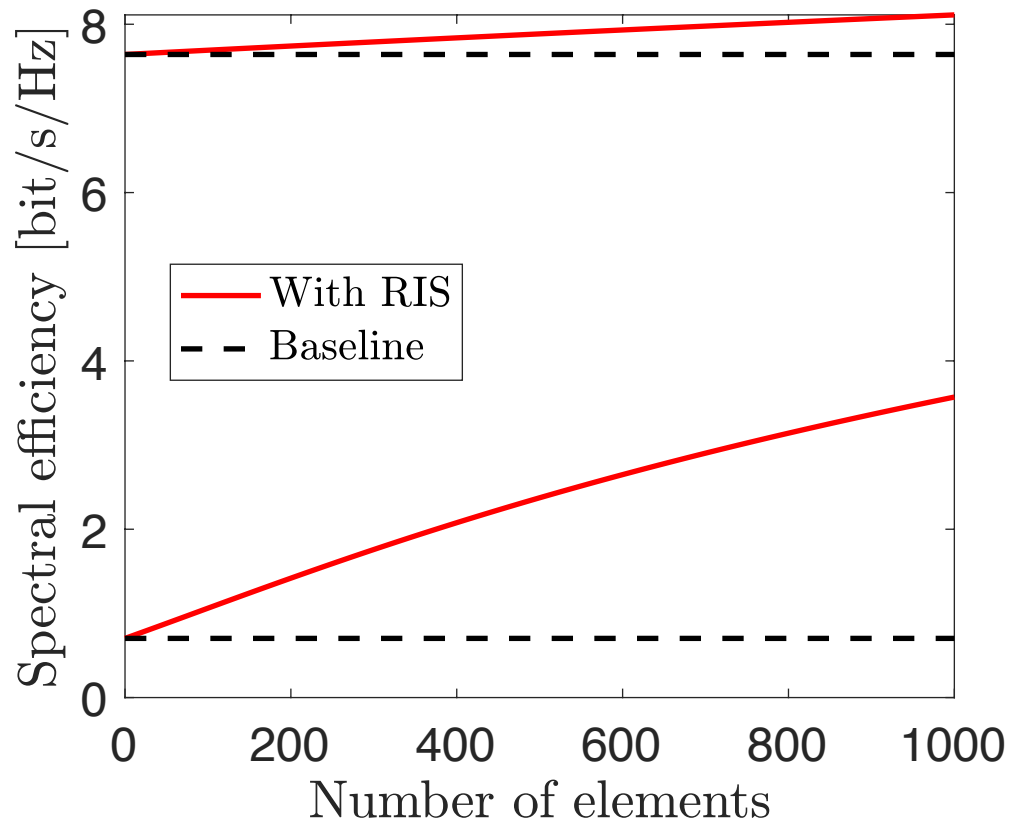
$$\tau_{\theta_n} = \tau_d - (\tau_{n,a} + \tau_{n,b}) + \frac{\text{integer}}{f_c}$$

# Basic Performance Benefit



**Transmit power:** 10 mW per 20 MHz

**RIS is Particularly Helpful**  
When direct path is relatively weak

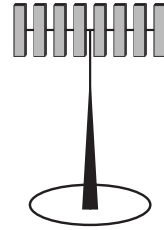


# WHAT ARE GOOD USE CASES?

# Alternative Technologies

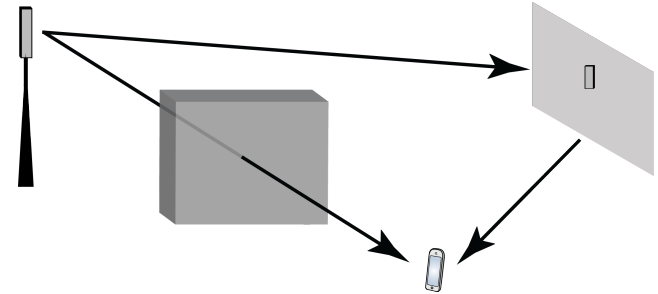
## Deploy more base stations

- Require power and backhaul infrastructure
- Inter-cell interference



## Utilize conventional relays

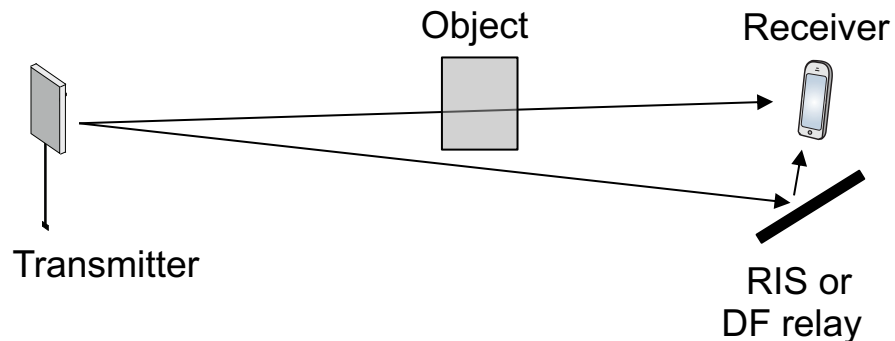
- Half-duplex operation, involve higher layers
- Example: Decode-and-forward



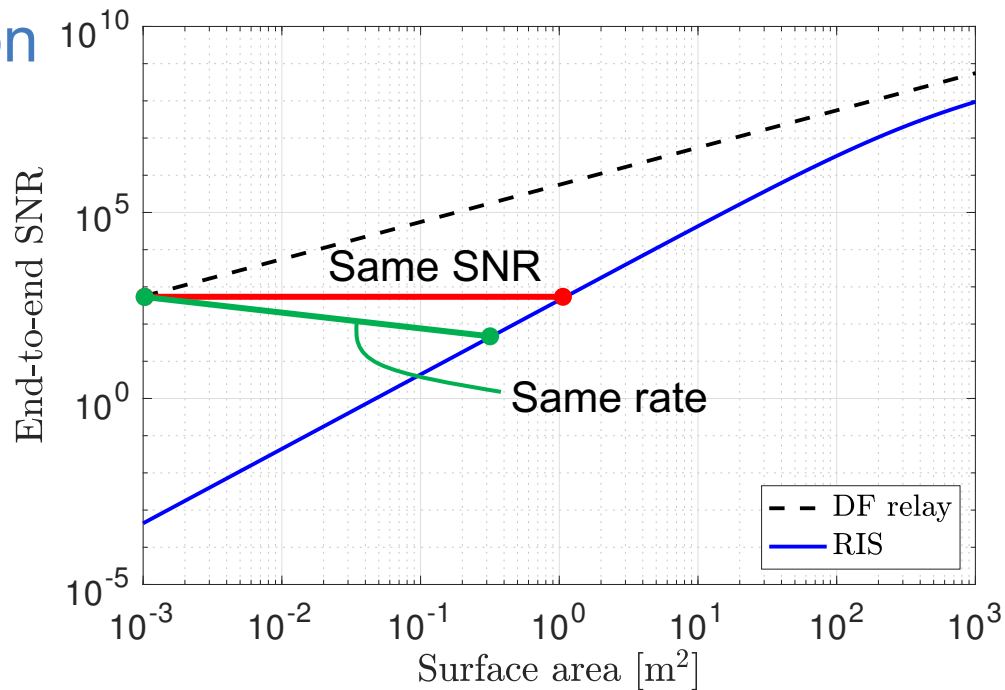
## Use new building materials

- Thermal insulation is primary goal
- Passive materials will not beamform in right direction

# Comparison: SNR Maximization



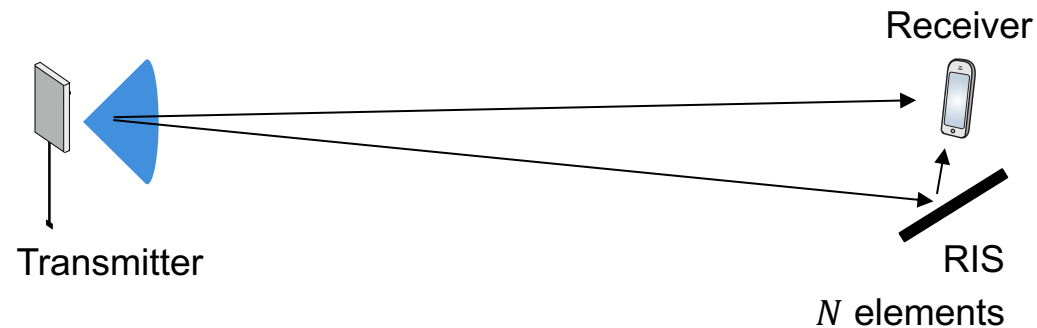
**Large surfaces are needed  
to beat an elementary DF relay**



## Reference:

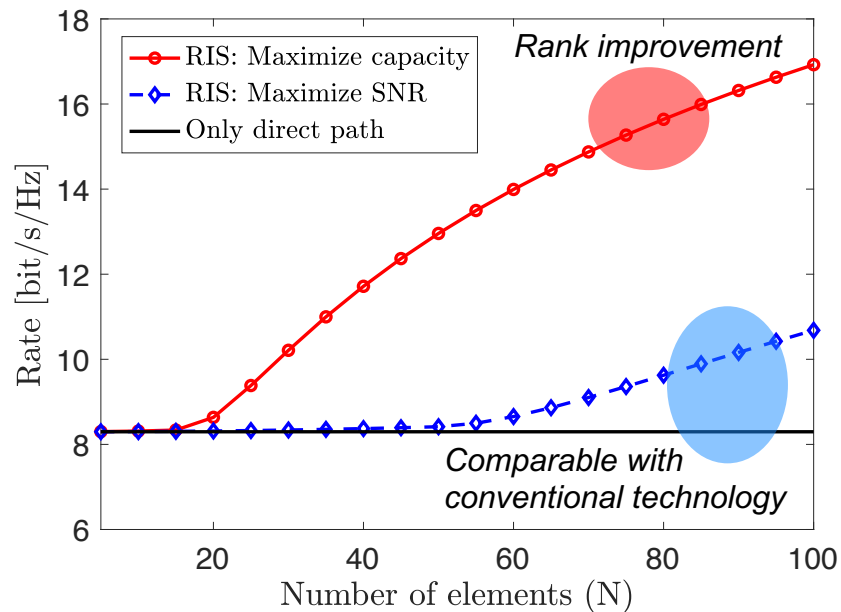
[R1] Ö. Özdoğan, E. Björnson, E. G. Larsson, "Reconfigurable Intelligent Surfaces: Three Myths and Two Critical Questions"

# Improving Channel Properties



**Two antennas at each device**  
Line-of-sight channels: Rank 1

**Improve propagation conditions**  
More than just SNR gain!

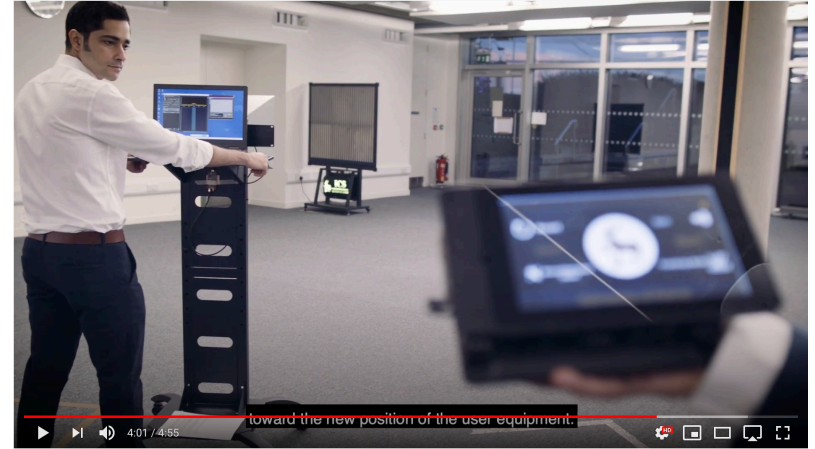
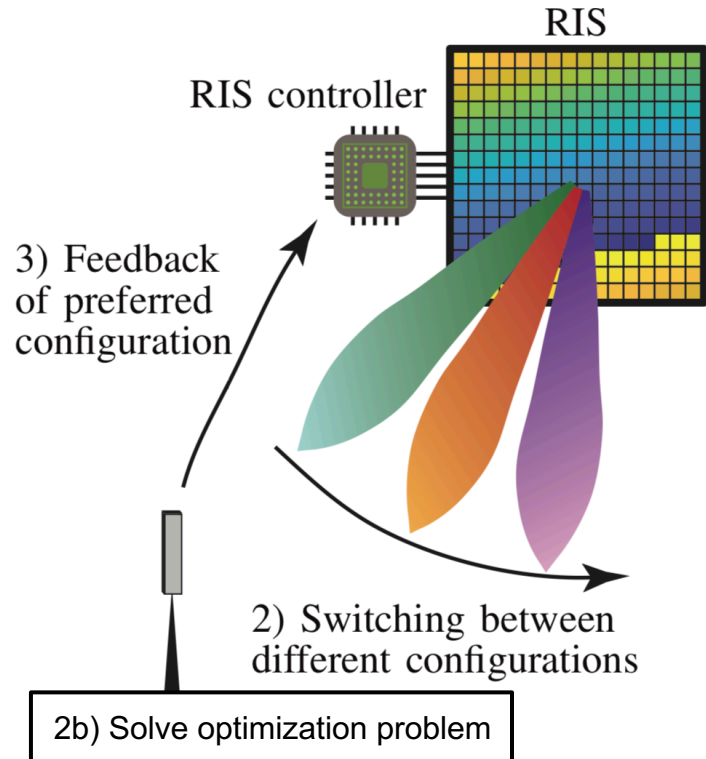


## Reference:

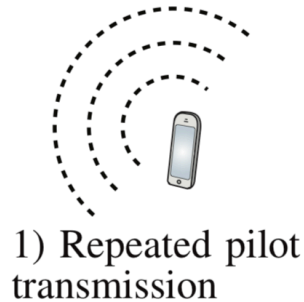
[R2] Ö. Özdoğan, E. Björnson, E. G. Larsson, "Using Intelligent Reflecting Surfaces For Rank Improvement in MIMO Communications"

# Reconfigurability is Complicated But Doable

**An RIS is blind!**



YouTube video from University of Surrey




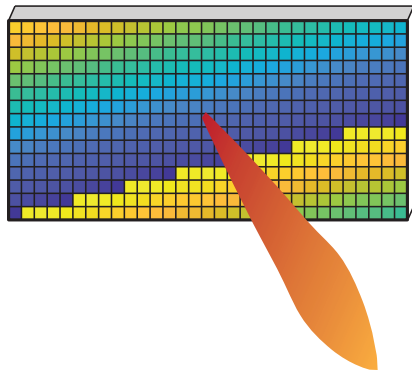


# Is a Reconfigurable Wireless World Possible?

Easy to say:

- Conventional technology:  
Only control transmitter and receiver
- RIS controls ~~the entire~~ propagation

  
some minor parts of the



**An active MIMO array can do anything that an RIS can do!**

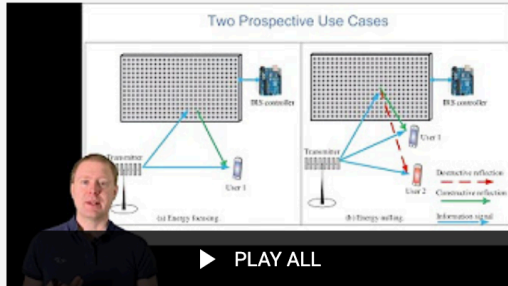


## RIS characteristics

- Maybe a cost and energy efficient alternative
- Well suited to improve channel properties:
  - Increased MIMO rank
  - Macro diversity (large surface)
  - ...?
- Particularly useful above 100 GHz?
- Great research topic in academia!

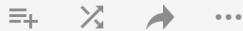
Podcast:

## YouTube Videos







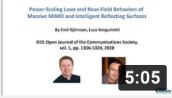
### Intelligent reflecting surfaces for 6G

5 videos • 1,361 views • Last updated on Jan 4, 2021



Wireless Future /  
Communication Systems

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Wireless Future / Communication Systems  
27:23
- **Power Scaling Laws and Near-Field Behaviors of Massive MIMO and Intelligent Reflecting Surfaces**  
IEEEComSoc  
5:05

# Key References

## Overview papers

1. Upcoming paper on “A Signal Processing Perspective on Reconfigurable Intelligent Surfaces With Wireless Applications”, Available on arXiv.org in Feb. 2021.
2. E. Björnson, L. Sanguinetti, H. Wymeersch, J. Hoydis, and T. L. Marzetta, “Massive MIMO is a reality—What is next? Five promising research directions for antenna arrays,” Digital Signal Processing, 2019.
3. E. Björnson, Ö. Özdogan, E. G. Larsson, “Reconfigurable Intelligent Surfaces: Three Myths and Two Critical Questions,” IEEE Communications Magazine, 2020.

## Channel modeling

3. Ö. Özdogan, E. Björnson, E. G. Larsson, “Intelligent Reflecting Surfaces: Physics, Propagation, and Pathloss Modeling,” IEEE Wireless Commun. Letters, 2020.
4. E. Björnson, L. Sanguinetti, “Power Scaling Laws and Near-Field Behaviors of Massive MIMO and Intelligent Reflecting Surfaces,” 2020.

**Questions?**